

DO NOT DETACH FROM BOOK.

PERIODIC TABLE OF THE ELEMENTS

18																					
1	2															17		18			
1 H 1.008	2 He 4.00															9 F 19.00	10 Ne 20.18				
3 Li 6.94	4 Be 9.01															8 O 16.00	11 N 14.01				
11 Na 22.99	12 Mg 24.30															7 N 14.01	14 Si 28.09	15 P 30.97	16 S 32.06	17 Cl 35.45	18 Ar 39.95
19 K 39.10	20 Ca 40.08	21 Sc 44.96	22 Ti 47.87	23 V 50.94	24 Cr 52.00	25 Mn 54.94	26 Fe 55.85	27 Co 58.93	28 Ni 58.69	29 Cu 63.55	30 Zn 65.38	31 Ga 69.72	32 Ge 72.63	33 As 74.92	34 Se 78.97	35 Br 79.90	36 Kr 83.80				
37 Rb 85.47	38 Sr 87.62	39 Y 88.91	40 Zr 91.22	41 Nb 92.91	42 Mo 95.95	43 Tc (97)	44 Ru 101.1	45 Rh 102.91	46 Pd 106.42	47 Ag 107.87	48 Cd 112.41	49 In 114.82	50 Sn 118.71	51 Sb 121.76	52 Te 127.60	53 I 126.90	54 Xe 131.29				
55 Cs 132.91	56 Ba 137.33	57 *La 138.91	72 Hf 178.49	73 Ta 180.95	74 W 183.84	75 Re 186.21	76 Os 190.2	77 Ir 192.2	78 Pt 195.08	79 Au 196.97	80 Hg 200.59	81 Tl 204.38	82 Pb 207.2	83 Bi 208.98	84 Po (209)	85 At (210)	86 Rn (222)				
87 Fr (223)	88 Ra (226)	89 †Ac (227)	104 Rf (267)	105 Db (270)	106 Sg (271)	107 Bh (270)	108 Hs (277)	109 Mt (276)	110 Ds (281)	111 Rg (282)	112 Cn (285)	113 Uut (285)	114 Ff (289)	115 Uup (288)	116 Lv (293)	117 Uus (294)	118 Uuo (294)				

18																		
1	2															17		18
58 Ce 140.12	59 Pr 140.91	60 Nd 144.24	61 Pm (145)	62 Sm 150.4	63 Eu 151.97	64 Gd 157.25	65 Tb 158.93	66 Dy 162.50	67 Ho 164.93	68 Er 167.26	69 Tm 168.93	70 Yb 173.05	71 Lu 174.97					
90 Th 232.04	91 Pa 231.04	92 U 238.03	93 Np (237)	94 Pu (244)	95 Am (243)	96 Cm (247)	97 Bk (247)	98 Cf (251)	99 Es (252)	100 Fm (257)	101 Md (258)	102 No (259)	103 Lr (262)					

*Lanthanoid Series

†Actinoid Series

AP[®] CHEMISTRY EQUATIONS AND CONSTANTS

Throughout the exam the following symbols have the definitions specified unless otherwise noted.

L, mL = liter(s), milliliter(s)
 g = gram(s)
 nm = nanometer(s)
 atm = atmosphere(s)

mm Hg = millimeters of mercury
 J, kJ = joule(s), kilojoule(s)
 V = volt(s)
 mol = mole(s)

<p>ATOMIC STRUCTURE</p> $E = h\nu$ $c = \lambda\nu$	$E = \text{energy}$ $\nu = \text{frequency}$ $\lambda = \text{wavelength}$ <p>Planck's constant, $h = 6.626 \times 10^{-34} \text{ J s}$ Speed of light, $c = 2.998 \times 10^8 \text{ m s}^{-1}$ Avogadro's number = $6.022 \times 10^{23} \text{ mol}^{-1}$ Electron charge, $e = -1.602 \times 10^{-19} \text{ coulomb}$</p>
<p>EQUILIBRIUM</p> $K_c = \frac{[C]^c [D]^d}{[A]^a [B]^b}, \text{ where } a A + b B \rightleftharpoons c C + d D$ $K_p = \frac{(P_C)^c (P_D)^d}{(P_A)^a (P_B)^b}$ $K_a = \frac{[H^+][A^-]}{[HA]}$ $K_b = \frac{[OH^-][HB^+]}{[B]}$ $K_w = [H^+][OH^-] = 1.0 \times 10^{-14} \text{ at } 25^\circ\text{C}$ $= K_a \times K_b$ <p>pH = $-\log[H^+]$, pOH = $-\log[OH^-]$ $14 = \text{pH} + \text{pOH}$ $\text{pH} = \text{p}K_a + \log \frac{[A^-]}{[HA]}$ $\text{p}K_a = -\log K_a$, $\text{p}K_b = -\log K_b$</p>	<p><u>Equilibrium Constants</u></p> <p>K_c (molar concentrations) K_p (gas pressures) K_a (weak acid) K_b (weak base) K_w (water)</p>
<p>KINETICS</p> $\ln[A]_t - \ln[A]_0 = -kt$ $\frac{1}{[A]_t} - \frac{1}{[A]_0} = kt$ $t_{1/2} = \frac{0.693}{k}$	<p>k = rate constant t = time $t_{1/2}$ = half-life</p>

GASES, LIQUIDS, AND SOLUTIONS

$$PV = nRT$$

$$P_A = P_{\text{total}} \times X_A, \text{ where } X_A = \frac{\text{moles A}}{\text{total moles}}$$

$$P_{\text{total}} = P_A + P_B + P_C + \dots$$

$$n = \frac{m}{M}$$

$$K = ^\circ\text{C} + 273$$

$$D = \frac{m}{V}$$

$$KE \text{ per molecule} = \frac{1}{2}mv^2$$

Molarity, M = moles of solute per liter of solution

$$A = abc$$

P = pressure

V = volume

T = temperature

n = number of moles

m = mass

M = molar mass

D = density

KE = kinetic energy

v = velocity

A = absorbance

a = molar absorptivity

b = path length

c = concentration

$$\begin{aligned} \text{Gas constant, } R &= 8.314 \text{ J mol}^{-1} \text{ K}^{-1} \\ &= 0.08206 \text{ L atm mol}^{-1} \text{ K}^{-1} \\ &= 62.36 \text{ L torr mol}^{-1} \text{ K}^{-1} \end{aligned}$$

$$1 \text{ atm} = 760 \text{ mm Hg} = 760 \text{ torr}$$

$$\text{STP} = 273.15 \text{ K and } 1.0 \text{ atm}$$

$$\text{Ideal gas at STP} = 22.4 \text{ L mol}^{-1}$$

THERMODYNAMICS / ELECTROCHEMISTRY

$$q = mc\Delta T$$

$$\Delta S^\circ = \sum S^\circ \text{ products} - \sum S^\circ \text{ reactants}$$

$$\Delta H^\circ = \sum \Delta H_f^\circ \text{ products} - \sum \Delta H_f^\circ \text{ reactants}$$

$$\Delta G^\circ = \sum \Delta G_f^\circ \text{ products} - \sum \Delta G_f^\circ \text{ reactants}$$

$$\Delta G^\circ = \Delta H^\circ - T\Delta S^\circ$$

$$= -RT \ln K$$

$$= -nFE^\circ$$

$$I = \frac{q}{t}$$

q = heat

m = mass

c = specific heat capacity

T = temperature

S° = standard entropy

H° = standard enthalpy

G° = standard Gibbs free energy

n = number of moles

E° = standard reduction potential

I = current (amperes)

q = charge (coulombs)

t = time (seconds)

Faraday's constant, F = 96,485 coulombs per mole of electrons

$$1 \text{ volt} = \frac{1 \text{ joule}}{1 \text{ coulomb}}$$

Common Polyatomic Ions

acetate	$C_2H_3O_2^-$
ammonium	NH_4^+
arsenate	AsO_4^{3-}
arsenite	AsO_3^{3-}
azide	N_3^-
benzoate	$C_7H_5O_2^-$
borate	BO_3^{3-}
bromate	BrO_3^-
carbonate	CO_3^{2-}
chlorate	ClO_3^-
chlorite	ClO_2^-
chromate	CrO_4^{2-}
cyanide	CN^-
dichromate	$Cr_2O_7^{2-}$
dihydrogen phosphate	$H_2PO_4^-$
dihydrogen phosphite	$H_2PO_3^-$
hydrogen carbonate	HCO_3^-
hydrogen phosphate	HPO_4^{2-}
hydrogen phosphite	HPO_3^{2-}
hydrogen sulfate	HSO_4^-
hydrogen sulfide	HS^-
hydrogen sulfite	HSO_3^-
hydroxide	OH^-
hypochlorite	ClO^-
iodate	IO_3^-
manganate	MnO_4^{2-}
nitrate	NO_3^-
nitrite	NO_2^-
oxalate	$C_2O_4^{2-}$
perchlorate	ClO_4^-
permanganate	MnO_4^-
peroxide	O_2^{2-}
phosphate	PO_4^{3-}
phosphite	PO_3^{3-}
silicate	SiO_3^{2-}
sulfate	SO_4^{2-}
sulfite	SO_3^{2-}
tartrate	$C_4H_4O_6^{2-}$
thiocyanate	SCN^-
thiosulfate	$S_2O_3^{2-}$

AsO_3^{3-}	arsenite
AsO_4^{3-}	arsenate
BO_3^{3-}	borate
BrO_3^-	bromate
$C_2H_3O_2^-$	acetate
$C_2O_4^{2-}$	oxalate
$C_4H_4O_6^{2-}$	tartrate
$C_7H_5O_2^-$	benzoate
ClO^-	hypochlorite
ClO_2^-	chlorite
ClO_3^-	chlorate
ClO_4^-	perchlorate
CN^-	cyanide
CO_3^{2-}	carbonate
$Cr_2O_7^{2-}$	dichromate
CrO_4^{2-}	chromate
$H_2PO_3^-$	dihydrogen phosphite
$H_2PO_4^-$	dihydrogen phosphate
HCO_3^-	hydrogen carbonate
HPO_3^{2-}	hydrogen phosphite
HPO_4^{2-}	hydrogen phosphate
HS^-	hydrogen sulfide
HSO_3^-	hydrogen sulfite
HSO_4^-	hydrogen sulfate
IO_3^-	iodate
MnO_4^-	permanganate
MnO_4^{2-}	manganate
N_3^-	azide
NH_4^+	ammonium
NO_2^-	nitrite
NO_3^-	nitrate
O_2^{2-}	peroxide
OH^-	hydroxide
PO_3^{3-}	phosphite
PO_4^{3-}	phosphate
$S_2O_3^{2-}$	thiosulfate
SCN^-	thiocyanate
SiO_3^{2-}	silicate
SO_3^{2-}	sulfite
SO_4^{2-}	sulfate

**AP Chemistry Summer Review Part I:
Physical & Chemical Changes, Matter & Energy**

1. Label each as either physical or chemical change.
 - a. corrosion of aluminum metal by hydrochloric acid
 - b. melting wax
 - c. pulverizing an aspirin tablet
 - d. digesting a Three Musketeers® bar
 - e. explosion of nitroglycerin
 - f. a burning match
 - g. metal warming up, due to the burning match
 - h. water vapor condensing on the metal
 - i. the metal oxidizes, becoming dull and brittle
 - j. salt being dissolved by water

2. For each process described, state whether the material being discussed (in **bold**) is a mixture or compound, and state whether the change is physical or chemical.
 - a. An **orange liquid** is distilled (boiled to separate components with different boiling points), resulting in the collection of a red solid and a yellow liquid.

 - b. A **colorless, crystalline solid** is decomposed, leaving a pale yellow-green gas and a soft, shiny metal.

 - c. A **cup of tea** becomes sweeter as sugar is added to it.

3. Classify each as mixture (homogeneous or heterogeneous) or pure substance (elements or compounds).
 - a. water
 - b. blood
 - c. the oceans

- d. iron
- e. brass (an alloy of zinc and copper)
- f. wine
- g. sodium bicarbonate (baking soda)

4. Explain how the five states of matter and energy are related. (HINT: Think of the motion of the particles!)

5. Consider the burning of gasoline and the evaporation of gasoline. Which represents a physical change and represents a chemical change? Give the reason for your answer.

6. **A)** Label the arrows on the diagram below with the correct phase change processes. **B)** Draw a particle diagram representing each phase.

Solid

Liquid

Gas

7. Describe the three main intermolecular forces and explain how their relationship is important in determining a compound's state of matter at a particular temperature. → This is a major concept on the AP Chem Exam!

AP Chemistry Summer Review Part II: Uncertainty in Measurement and Calculations:

1. Exact Numbers:

Counted numbers and definitions do not involve any measurement and are considered as exact numbers

Definitions: 1 week = 7 days.
1 mile = 5,280 feet
1 yard = 3 feet

Counted: 5 Players on the basketball court.
23 students in a room
25 pennies used by a class in an experiment.
5 rocks

2. Measured Numbers:

All **measured numbers** have some degree of uncertainty.

When recording measurements, **record only the significant figures**. Record measurements to include one decimal estimate beyond the smallest increment on the measuring device.

Examples (consider a measuring instrument like a ruler):

- If smallest increment = 1m, then record measurement to 0.1m (i.e. 3.1**m**)
- If smallest increment = 0.1m, then record measurement to 0.01m (i.e. 5.67 **m**)
- If smallest increment = 0.01m, then record measurement to 0.001m (i.e. 12.675 **m**)

c. Unless otherwise stated the uncertainty in the last significant figure (*the uncertain digit*) is assumed to be ± 1 unit. Modern digital instruments and many types of volumetric glassware will state the level of uncertainty.

3. Rules for counting Significant Figures.

a. **Non-Zero Numbers:** Non-zero numbers are always significant.

b. **Zeros:**

- 1: **Leading zeros** that come before the first non-zero number are **never** significant
- 2: **Captive zeros** (*sandwich zeros*) that fall between two non-zero digits are **always** significant.
- 3: **Ending zeros** that appear after the last non-zero digit are significant only when a decimal point appears somewhere in the number.

Examples:

Number	0.005	5005	5005.00	500.	0.0050
Sig Figs	1	4	6	3	2

c. Scientific Notation: Significant figures are recorded in the mantissa ($number\ 1 \leq x < 10$)

Examples:

Number	3.0×10^3	5.998×10^5	6.0000×10^{-23}	0.5×10^4
Sig Figs	2	4	6	1

4. Rules for Using Significant Figures in Calculations

(a) Multiplication, Division, Powers and Roots:- “LEAST SIG.FIG RULE”

1. The result should be reported to the same number of significant figures as the measured number having the **least number of significant figures**.

2. Only consider the number of significant figures in each of the **measured numbers! (not constants)**

Example 1:
 $2.3 \times 5.78 = \text{Calculator returns } 13.294$
 2.3 has 2 sig.fig
 5.78 has 3 sig.fig.
 $2.3 \times 5.78 = 13$ The answer must be rounded to show 2 sig.fig

Example 2.
 $\frac{1.67 \times 10^5 \times 0.00045}{2 \times 10^{-23}} = \text{calculator returns } 2.505000000 \times 10^{24}$
 1.67×10^5 has 3 sig.figs
 0.00045 has 2 sig.figs
 2×10^{-23} has 1 sig.fig
 $\frac{1.67 \times 10^5 \times 0.00045}{2 \times 10^{-23}} = 3 \times 10^{24}$ (rounded to 1 sig.fig)

Example 3
 $\sqrt{2.3} = \text{calculator returns } 1.516575089$
 2.3 has 2 sig.figs
 $\sqrt{2.3} = 1.5$ round answer to 2 sig.figs

(b) Addition and Subtraction: “LEAST PRECISE DECIMAL RULE”

1. The result should be reported with the same decimal precision as the measured number having the uncertain digit in the **least precise decimal place**.

2. Only consider the decimal precision in each of the **measured numbers! (not constants)**

Example 5: Watch for numbers ending with zero!
 $10 + 0.0110 = \text{calculator returns } 10.0110$
 10 : the uncertain digit appears in the 10^1 place
 0.0110 : the uncertain digit appears in the 10^{-4} place
 $10 + 0.0110 = 10$ round answer to the 10^1 place

Rationale: The uncertainty in the measured number 10 is ± 1 . The uncertainty alone in the first number (10) is greater than the entire second number (0.0110).

Example 4: a - c
a. $123\text{cm} + 5.35\text{cm} = 128\text{cm}$ (rounded to 10^0)
b. $1.0001\text{m} + 0.0003\text{m} = 1.0004\text{m}$ (rounded to 10^{-4})
c. $1.002\text{s} - 0.998\text{s} = 0.004\text{s}$ (rounded to 10^{-3})

(c) Addition/Subtraction combined with Multiplication/Division

1. Always perform the addition portion of the calculation 1st to determine the correct decimal precision of the sum. (**least precise decimal rule**)

2. Once the precision of the sum has been determined you can count the number of significant figures in the sum to apply the "**least sig.fig rule**" in performing the multiplication.

3. Do not round until the final calculation has been completed.

Example 6:

$$\frac{(3 + 4.0 + 0.56)(3.2 \times 10^3)}{1.345 \times 10^{-10}} = \text{calculator returns } 1.827211896 \times 10^{14}$$

1st: Perform addition and determine least precise decimal

3: uncertain digit appears in 10^0

4.0: uncertain digit appears in 10^{-1}

0.56: uncertain digit appears in 10^{-2}

$(3 + 4.0 + 0.56) = 7.56 = 8$ (rounded to 10^0 the sum will have 1 sig.fig)

2nd: determine the number with the least sig.figs

8 (sum): 1 sig.fig

3.2×10^3 : 2 sig.fig

1.345×10^{-10} : 4 sig.fig

$$\frac{(3 + 4.0 + 0.56)(3.2 \times 10^3)}{1.345 \times 10^{-10}} = 2 \times 10^{14} \quad (\text{rounded to 1 sig.fig})$$

(d) Scientific Notation with different powers of 10:

Example 7:

$$1.38 \times 10^4 + 7.98 \times 10^5 + 6.89 \times 10^3 = \text{calculator returns } 8.18690 \times 10^5$$

1st: Change all numbers to have the same power of 10

7.98×10^5 : multiply the mantissa by 10^1 and the power of ten by $10^{-1} = 79.8 \times 10^4$

6.89×10^3 : multiply the mantissa by 10^{-1} and the power of ten by $10^1 = 0.698 \times 10^4$

8.18690×10^5 : multiply the mantissa by 10^1 and the power of ten by $10^{-1} = 81.8690 \times 10^4$

2nd: Compare the precision of the decimal places

1.38×10^4 : uncertain digit appears in the 10^{-2} of the mantissa

79.8×10^4 : uncertain digit appears in the 10^{-1} of the mantissa

0.698×10^4 : uncertain digit appears in the 10^{-3} of the mantissa

$1.38 \times 10^4 + 79.8 \times 10^4 + 0.698 \times 10^4 = 81.9 \times 10^4$ (rounded to 10^{-1} in the mantissa)

3rd: Return to standard scientific notation

81.9×10^4 : multiply mantissa by 10^{-1} and the power of ten by $10^1 = 8.19 \times 10^5$

Problems

How many significant figures in the following numbers:

1. _____ 1,245m

2. _____ 0.030m

3. _____ 10,000m

4. _____ 1.340×10^{23} m

5. _____ 3.02003×10^{14} m

6. _____ 0.0000001m

7. _____ 1,000.

8. _____ 0.10000010

9: Convert the following numbers into standard scientific notation:

a. 96.3×10^4 g _____

b. 0.05×10^{23} s _____

c. 123×10^{-7} m _____

Problems 10 – 18: Perform the following Calculations and record your answers in the proper number of significant figures and units.

10. $0.6030s + 0.82s =$

11. $4.1m + 0.3789m - 153.22m =$

12. $3.1567 \times 10^2 g + 9.212 \times 10^4 g - 4.677 \times 10^6 g =$

13. $\frac{0.307g}{(1.0 \times 10^{-3})ml} =$

14. $\frac{1.26 \times 10^{-3} kg}{(3.2m + 10m + 8.9m)(4.3 \times 10^{-6} s)} =$

15. $\sqrt[3]{5.33 \times 10^5 m} =$

Part II: Simple Metric Conversions and Consistent Units

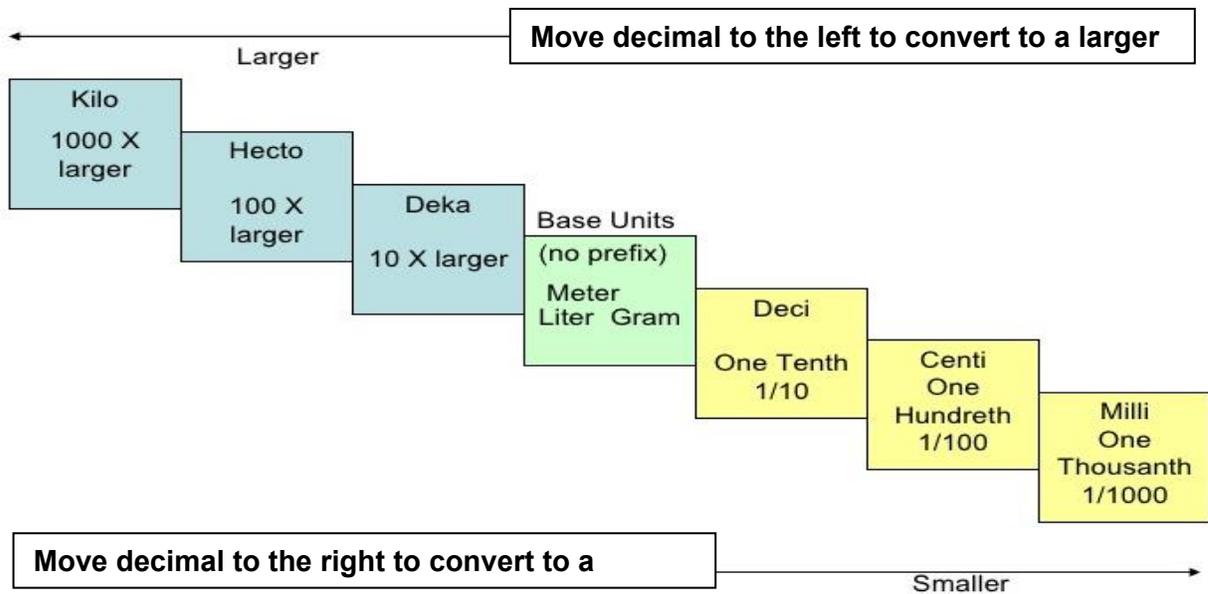
Section 1: Metric Conversions

One of the major benefits of using the metric system is the ability to move from a large unit of measure to a smaller unit of measure simply by moving the decimal point or changing the exponent.

For example, 0.003 km is easily changed to 3.00 m and $4.50 \times 10^2 \text{ nm}$ is easily changed to $4.50 \times 10^{-7} \text{ m}$ by applying a few simple rules.

Step 1: Determine the number of decimal places between the units involved in the conversion. * **Memorize the chart at the end of this document including prefixes! The most common units are shown in the graph below. You can use the mnemonic King Henry Died by Drinking Chocolate Milk (Kilo, Hecto, Deka, Base, Deci, Centi, Milli) to help remember these.**

Decimal places from base	3	0	-2	-3	-6	-9
Unit	$\text{km} = 10^3 \text{ m}$	$\text{m} = 10^0 \text{ m}$	$\text{cm} = 10^{-2} \text{ m}$	$\text{mm} = 10^{-3} \text{ m}$	$\mu\text{m} = 10^{-6} \text{ m}$	$\text{nm} = 10^{-9} \text{ m}$



Step 2: for Standard Numbers: If you are converting from a **large unit** to a **smaller unit** the number will get *bigger* and the *decimal place will move to the right*. If you are converting from a **smaller unit** to a **larger unit** the number will get *smaller* and the decimal place will be *moved to the left*. A way to remember the direction of the decimal shift is to use this mnemonic:

Large Unit → Small Unit → Large Number

Small Unit → Large Unit → Small Number

Example: Convert 0.003 km to cm .

Step 1: There are 5 decimals between **km** and **cm**. $(3 - (-2)) = 5$

Step 2: **km** is larger than **cm** so the number must become larger. The decimal must be moved to the right by a total of 5 decimal places. **Therefore $0.003 \text{ km} = 300 \text{ cm}$**

Scientific Notation: If you are converting from a large unit to a smaller unit the number becomes larger which means the exponent must increase. If you are converting from a smaller unit to a larger unit the number will become smaller and the exponent will decrease. An easy way to remember the direction of the decimal shift is to use the previously stated rule of thumb:

Example: Convert $3.0 \times 10^{-3} \mu\text{m}$ to **cm**.

Step 1: There are 4 decimals between μm and **cm**. $(-6(-2)) = -4$

Step 2: μm is smaller than **cm** which means the number must become smaller! The exponent must be decreased by 4. **Therefore $3.00 \times 10^{-3} \mu\text{m} = 3.00 \times 10^{-7} \text{cm}$**

➤ **You can also always use dimensional analysis/factor labeling to do these metric conversions!**

Section 2: Using Consistent Units in Calculations:

When performing calculations, it is important to verify that all of the basic units of measurement (**length, mass, time, etc**) are measured in the **same metric prefix**.

Example: An ant was observed to travel **3.00m** south, turn to the west and move an additional **50.1cm**, and finally turn to the north and travel an additional **0.0110km**. Determine the total distance in meters traveled by the ant.

Solution: The first step is to recognize that the three distances have been given to you in different units of length. Before you can perform the addition you will need to convert all of the measurements to the same unit of length. In this case the most convenient choice is the meter. Make certain to preserve the **correct number of significant figures** as you make the conversions.

$$3.00\text{m} = 3.00\text{m} \text{ (3 sf)} \quad 50.1\text{cm} = 0.501\text{m} \text{ (3 sf)} \quad 0.0110\text{km} = 11.0 \text{ m} \text{ (3 sf)}$$

We can now proceed with the addition: $(3.00\text{m} + 0.501\text{m} + 11.0\text{m}) = 14.501\text{m}$ Next use the addition rule (least precise decimal) and round to 10^{-1} : **Reported Answer: 14.5m**

Problems

Part (a): Make the following conversions – preserve the number of significant figures in the answer!

1. 450nm _____ mm

2. 34km _____ cm

3. $43\,000\text{mm}$ _____ m

4. $4.0 \times 10^6 \text{nm}$ _____ μm

5. $3.98 \times 10^{-3} \text{km}$ _____ m

6. 456mm _____ km

7. $136\,000\text{m}$ _____ km

8. $4.89 \times 10^{12} \text{mm}$ _____ km

9. $2.68 \times 10^6 \text{m}$ _____ km

10. $456\,000 \mu\text{m}$ _____ mm

11. 450mm _____ m

12. 23cm _____ mm

13. $234 \mu\text{m}$ _____ cm

14. $2.34 \times 10^4 \text{cm}$ _____ m

15. $4.56 \times 10^{-7} \text{cm}$ _____ nm

Unit Multiplication – Dimensional Analysis – Factor Labeling

Units:

In the world of mathematics numbers often exist as abstract and unit-less entities. However, in the world of physics and chemistry where numbers are based upon experimentation and measurement all numbers are based in a physical reality. **As a result, every number consists of two important parts.** The first is a **magnitude** and the second equally important part is a **unit**. It is the unit that gives physical, real-world meaning to the number. We never write one without the other!

Examples: Note that these are all “equivalence statements”!

12 **inches** in one **foot**
365 **days** in one **year**
7 days in one **week**
 1.0×10^9 **bytes** in one **gigabyte**

Derived Units and Calculations

Many of the common units we use are actually derived units that result from performing mathematical operations on the basic units. **When performing mathematical operations the units are treated and manipulated as if they were algebraic variables.** Here are a few examples:

$$\underline{\text{Area}} = (\text{length} - \mathbf{m}) \times (\text{width} - \mathbf{m}) = \mathbf{m}^2$$

$$\underline{\text{Volume}} = (\text{length} - \mathbf{m}) \times (\text{width} - \mathbf{m}) \times (\text{height} - \mathbf{m}) = \mathbf{m}^3$$

$$\underline{\text{Velocity}} = (\text{distance traveled} - \mathbf{m}) / (\text{time} - \mathbf{s}) = \mathbf{m/s}$$

$$\underline{\text{Density}} = (\text{mass} - \mathbf{g}) / (\text{volume} - \mathbf{mL}) = \mathbf{g/mL}$$

Unit Conversions

It is often necessary to convert from one system of units to another. The most efficient way to do this is using a process known as “*unit multiplication*”, “*factor labeling*” or “*dimensional analysis*”.

Example No. 1: Consider a pin measuring 2.85 **cm** in length in the metric system. What would be the corresponding length in the English system?

Step 1: find an equivalence statement: i.e. 1 inch = 2.54 cm

Step 2: Now divide both sides by 2.54 cm: $\rightarrow 1 \text{ inch} / 2.54 \text{ cm} = 1$ or $2.54 \text{ cm} / 1 \text{ inch} = 1$

This gives rise to two conversion factors:

Step 3: Chose the conversion factor that will result in the cancellation of the original unit

$$2.85 \text{ cm} \times \frac{1 \text{ inch}}{2.54 \text{ cm}} = 1.12 \text{ inches}$$

Note that the units for cm cancels out (cm is in both the numerator and denominator) leaving the desired units of inches!

“goal posting”

One useful version of this method is called “goal posting”. **Step 1:** Draw a “goal post” with the horizontal bar extending on each side. **Step 2:** Place the original number and unit to the left. Place the final unit on the right. **Step 3:** Move the original unit (cm) from the top left (*numerator*) to the bottom of the conversion factor (*denominator*). Now there is no confusion about which form of the conversion factor you will use. If you have done this correctly the original units on the top (*cm*) will be cancelled by the same unit in the denominator of the conversion factor.

Dimensional Analysis

1. I have 470 milligrams of table salt, which is the chemical compound NaCl. How many liters of NaCl solution can I make if I want the solution to be 0.90% NaCl? (9 grams of salt per 1000 grams of solution).

The density of the NaCl solution is 1.0 g solution/mL solution.

2. I have a bar of gold that is 7.0 in \times 4.0 in \times 3.0 in. The density of gold is 19.3 g/cm³. The price of gold currently is \$1,945.94 per ounce. How much is my gold bar worth?

3. If the RDA for vitamin C is 60 mg per day and there are 70 mg of vitamin C per 100 G of orange, how many 3 oz. oranges would you have to eat each week to meet this requirement?

4. Owls generally maintain territories of 3 acres. How many owls could live in a large wooded area of 20 hectares? (1 hectare=1 sq. dekameter=100 m²= 2.47 acres)

5. The speed of light is 3.00×10^8 m/s. Convert this speed into feet per year.

6. Many candy bars have 9 G of fat per bar. If during a “chocolate attack” you ate one pack of candy (0.6 dekabars), how many ounces of fat would you have eaten?

B) There are approximately 9 Calories per gram of fat, how many Calories is this?

C) A Calorie is 4184 joules (J). It takes 4.184 J to heat 1 gram of water by 1°C . If you wanted to raise the temperature of water by 10°C , how many liters of water could you heat with the energy from a pack of candy bars? (Density of water = 1 g/mL) – This one is hard!

7. I have 14.25 ng of glucose ($\text{C}_6\text{H}_{12}\text{O}_6$). If 180.18 grams is the mass of 6.10×10^{23} molecules of glucose, how many carbon atoms are in my sample?

Part IIIa: Subatomic Particles, Isotopes and Ions

Element or Ion	Abbreviation	Atomic Number (Z)	Average Atomic Mass (A)	Protons*	Neutrons* (for most common isotope unless otherwise noted)	Electrons*
Oxygen	O	8	16.00			
Bismuth	Bi		209.0			
	F ⁻					
Carbon	C	6	12.01			
Carbon-14	¹⁴ C		14.00	6		
Pb-208						
		15	30.97			15
			55.845			23
Potassium Ion (cation)	K ⁺		39.10			18
Sulfur Ion (anion)	S ²⁻		32.07			

*- Calculate the number of protons, neutrons, and electrons for the most prevalent isotope

Average Atomic Masses:

Silver has two isotopes, one with 60 neutrons and the other with 62 neutrons. Give the chemical notation for each of these isotopes and calculate the relative abundance for each isotope given that the average atomic mass for silver is 107.87 amu.

Potassium has three isotopes. The number of neutrons and the natural abundance of these are: 20 neutron (93.23%); 21 neutrons (0.012%); and 22 neutrons (6.73%). Give the chemical notation for each of these isotopes and calculate the average atomic mass for potassium.

PART IIIB: ELECTRON CONFIGURATION & ORBITAL DIAGRAMS

In the space below, write the electron configurations of the following elements:

1. Oxygen _____

2. Chlorine _____

3. Sodium _____

4. Aluminum _____

5. Argon _____

6. Iron _____

7. Potassium _____

8. Scandium _____

9. Bromine _____

10. Barium _____

11. Iodine _____

12. Strontium _____

13. Yttrium _____

14. Cadmium _____

15. Tin _____

Determine what elements are denoted by the following electron configurations:

Part IV: Periodic Trends Worksheet

Directions: Use your notes to answer the following questions.

- Rank the following elements by increasing atomic radius: carbon, aluminum, oxygen, potassium.
- Rank the following elements by increasing electronegativity: sulfur, oxygen, neon, aluminum.
- Why does fluorine have a higher ionization energy than iodine?
- Why do elements in the same family generally have similar properties?
- Indicate whether the following properties increase or decrease from left to right across the periodic table.
 - atomic radius (excluding noble gases)
 - first ionization energy
 - electronegativity
- What trend in atomic radius occurs down a group on the periodic table? What causes this trend?
- What trend in ionization energy occurs across a period on the periodic table? What causes this trend?
- Circle the atom in each pair that has the largest atomic radius.

a. Al or B	c. Na or Al	e. S or O
b. O or F	d. Br or Cl	f. Mg or Ca
- Circle the atom in each pair that has the greater ionization energy.

a. Li or Be	c. Ca or Ba	e. Na or K
b. P or Ar	d. Cl or Si	f. Li or K
- Define electronegativity.
- Circle the atom in each pair that has the greater electronegativity.

a. Ca or Ga	c. Br or As	e. Li or O
b. Ba or Sr	d. Cl or S	c. O or S

Part V: Chemical Bonding

Section 1: Ionic Bonding

Ionic bonds involve a transfer of electrons from one atom (or atomic group) to another. Cations are positive ions resulting from the loss of electrons. Anions are negative ions resulting from the gain of electrons. Atoms generally lose or gain electrons to achieve a “stable octet” or set of 8 electrons in the valence shell (although there are exceptions!)

Metals tend to have low electronegativity and ionization energy and tend to form cations.

Nonmetals tend to have high electronegativity and tend to form anions.

Things to know – study the charts available on the course website!

1. Placement of metals and nonmetals on Periodic Table.
2. The charges/oxidation states taken by elements in different groups of Periodic Table.
3. Charges of common metals that take multiple charges (multivalent metals).
4. Common Polyatomic Ions (memorize the chart – both names and formulas with charges!).

Section 2: Covalent Bonding

Covalent bonds involve a sharing of electrons between atoms. Usually both elements in a covalent bond are nonmetals.

Equal sharing of electrons produces a **nonpolar covalent bond** and occurs when the bonding atoms have equal or very similar electronegativity. Unequal sharing of electrons occurs when atoms have significantly different electronegativities and results in a **polar covalent bond** in which one atom has a partial negative charge and the other a partial positive charge.

Things to know:

1. Be able to determine whether a bond is ionic, polar covalent or nonpolar covalent based on the elements bonding and electronegativity chart.
2. Draw a basic Lewis Dot structure showing the placement of all electrons.

Bonding occurs on a spectrum based on the **difference in electronegativity** between the two atoms involved in the bond. Memorize the rules below and have a general sense of the electronegativities of common elements (& how the trend runs along the periodic table)!

Difference in electronegativity

0	0.5	1.0	2.0	4.0
Nonpolar Covalent	Moderately Polar Covalent	Very Polar-covalent bond	Ionic bond	

Rules of thumb:

$\Delta EN > 2.0 \rightarrow$ Bond is ionic

$\Delta EN < 0.5 \rightarrow$ Bond is nonpolar covalent

$0.5 \leq \Delta EN \leq 1.6 \rightarrow$ Bond is polar covalent

$1.6 < \Delta EN \leq 2.0 \rightarrow$ Bond is polar covalent IF it involves two nonmetals, otherwise ionic.

H 2.1											B 2.0	C 2.5	N 3.0	O 3.5	F 4.0													
Li 1.0	Be 1.5											Al 1.5	Si 1.8	P 2.1	S 2.5	Cl 3.0												
Na 0.9	Mg 1.2											K 0.8	Ca 1.0	Sc 1.3	Ti 1.5	V 1.6	Cr 1.6	Mn 1.5	Fe 1.8	Co 1.9	Ni 1.9	Cu 1.9	Zn 1.6	Ga 1.6	Ge 1.8	As 2.1	Se 2.5	Br 3.0
Rb 0.8	Sr 1.0	Y 1.2	Zr 1.4	Nb 1.6	Mo 1.8	Tc 1.9	Ru 2.2	Rh 2.2	Pd 2.2	Ag 1.9	Cd 1.7	In 1.7	Sn 1.8	Sb 1.9	Te 2.1	I 2.5												
Cs 0.7	Ba 0.9	La ^{1.0-1.2}	Hf 1.3	Ta 1.5	W 1.7	Re 1.9	Os 2.2	Ir 2.2	Pt 2.2	Au 2.4	Hg 1.9	Tl 1.8	Pb 1.9	Bi 1.9	Po 2.0	At 2.2												
Fr 0.7	Ra 0.9																											

Problems!

Bonding between	More electronegative element and value	Less electronegative element and value	Difference in electronegativity	Bond Type
Sulfur & Hydrogen				
Sulfur and cesium				
Chlorine and bromine				
Calcium and chlorine				
Oxygen and hydrogen				
Nitrogen & hydrogen				
Iodine and iodine				
Copper and Sulfur				
Hydrogen & Fluorine				
Carbon and Oxygen				

Part VI: Nomenclature of Binary Compounds

**** Before you start naming compounds or writing formulas from names be sure to review which elements are metals, transition metals & nonmetals and the charges they take as well as common polyatomic ions with their charges (makes this much easier!)**

Part 1: Determine if the compound is ionic or covalent to decide which set of naming rules to apply:

A. Ionic compound:

- i. Compound contains a polyatomic ion
- ii. Compound contains a metal and a nonmetal

B. Covalent compound:

- i. Compound contains only nonmetal elements

Part 2: Ionic Compound Nomenclature

A. Name the cation

- i. Univalent metal cations = same name as the element
 - a. Na^+ = sodium, Ba^{2+} = barium, Al^{3+} = aluminium etc.
 - b. These are usually Group 1, 2 and 13 elements
- ii. Multivalent metal cations = same name as element + charge denoted by Roman Numeral in parenthesis
 - a. Fe^{2+} = Iron (II), Fe^{3+} = Iron (III)
 - b. Multivalent metal cation are usually in the transition metal block (Iron, Copper, Nickel, Chromium etc.)
 - c. Silver is always 1+ (Ag^+) so it has no Roman Numeral
 - d. Zinc is always 2+ (Zn^{2+}) so it has no Roman Numeral
 - e. An easy way to remember charges for Al, Zn and Ag is noting that they form a diagonal step down starting with Al going down to the left (3+, 2+ and 1+)
 - f. Pb and Sn are two metals not in the transition block that can take either the charge 2+ or 4+. As such, Pb and Sn always have a Roman Numeral when being named in a compound.
- iii. If the cation is a polyatomic ion – it takes the same name as the ion. I.e. NH_4^+ is ammonium.

B. Name the anion

- i. Anion that is based on a nonmetal element:
 - a. Use the root of the elemental name
 - b. Change the suffix to -ide
 - c. Cl^- = chloride, O^{2-} = oxide, P^{3-} = phosphide, N^{3-} = nitride etc.
- ii. Anion that is a polyatomic ion:
 - a. Use the name of the polyatomic ion
 - b. SO_4^{2-} = sulfate, PO_3^{3-} = phosphite, CrO_4^{2-} = chromate etc.

C. Examples:

MgCl_2 = magnesium chlorid

FeCl_3 = iron (III) chloride

NH_4Cl = ammonium chloride

$\text{Sn}_3(\text{PO}_4)_2$ = Tin (II) phosphate

$(\text{NH}_4)_2\text{SO}_4$ = ammonium sulfate

Part 3: Covalent Compound Nomenclature

A. Name the first element – use Greek Prefixes (except mono)

- i. Select the appropriate Greek prefix using subscript of the element
 - a. Mono = one
 - b. Di = two
 - c. Tri = three
 - d. Tetra = four
 - e. Penta = five
 - f. Hexa = six
 - g. Hepta = seven
 - h. Octa = eight
 - i. Nona = nine
 - j. Deca = ten
- ii. Name the first element using the prefix and the element name:
 - a. Do not use the prefix mono- for the first element. If there is only one atom of the first element in the compound “mono” is implied

B. Name the second element

- i. Select the appropriate Greek prefix using the subscript of the element
- ii. Use the root of the element name for the second element
- iii. Convert the suffix of the elemental name to -ide.

C. Examples:

H_2O = dihydrogen monoxide (the o from mono- gets dropped in monoxide)

CO_2 = carbon dioxide

CO = carbon monoxide

PCl_5 = phosphorus pentachloride

S_2O_3 = disulfur trioxide

Naming Binary Chemical Compounds

Metals or Polyatomic Ions Involved?

Yes

Ionic

Monovalent Cation

1. Name cation by element name
Ex. Na^+ = Sodium,
 Ca^{2+} = Calcium,
 Ag^+ = Silver

Multivalent Cation

1. Name cation by element name
→ Use Roman Numeral in parentheses to denote charge
Ex. Fe^{2+} = Iron (II),
 Fe^{3+} = Iron (III)

Polyatomic Cation

1. Name cation by name of polyatomic cation
Ex. Ammonium

Monoatomic Anion

2. Name anion by element root.
3. Change suffix to -ide

Polyatomic Anion

2. Name anion by polyatomic anion name

Examples: Cation + Monoatomic Anion

sodium fluoride, calcium bromide, ammonium chloride, iron (II) oxide

Examples: Cation + Polyatomic Anion

sodium phosphate, ammonium carbonate, copper (II) sulfate

No

Covalent

1. 1st Greek prefix (don't use mono)
2. Name first element

3. 2nd Greek prefix
4. Root of 2nd element
5. Change suffix to -ide

Examples:

carbon monoxide
dinitrogen tetroxide
phosphorus pentachloride
sulfur hexafluoride
dihydrogen monoxide
dihydrogen dioxide

Names to Formulas of Chemical Compounds

Metals or Polyatomic Ions Involved?

Ionic

Example – iron (III) sulfate

1. Use the name to determine the two ions in the compound → Fe and SO_4^{2-}

2. Write the cation first (remember Roman Numeral = charge on metal cation). Then write the anion. Include charges (for now) → $\text{Fe}^{3+}\text{SO}_4^{2-}$

3. Balance the charges on the two ions to obtain a neutral formula unit. The easy way is to “criss-cross” so that the charge on the cation becomes the subscript of the anion. The charge of the anion becomes the subscript on the cation. Use the lowest whole number ratio of subscripts! → $\text{Fe}^{3+}\text{SO}_4^{2-}$

4. If the subscript of a polyatomic ion is greater than 1, put the whole polyatomic ion symbol in parentheses and the subscript outside the parenthesis. → $\text{Fe}^{3+}_2(\text{SO}_4^{2-})_3$

5. Erase any ion charges in the formula → $\text{Fe}_2(\text{SO}_4)_3$

Examples: Cation + Monoatomic Anion

sodium fluoride = NaF, calcium bromide = CaBr_2 ,

ammonium chloride = AlCl_3 , iron (II) oxide = FeO, iron (III) oxide = Fe_2O_3

Examples: Cation + Polyatomic Anion

Copper (II) phosphate = $\text{Cu}_3(\text{PO}_4)_2$, ammonium carbonate = $(\text{NH}_4)_2\text{CO}_3$

Yes

No

Covalent

1. 1st Greek prefix denotes subscript of first element
2. Write element symbol and subscript

3. 2nd Greek prefix denotes subscript of second element
4. Write symbol and subscript for second element

Examples:

carbon monoxide = CO

dinitrogen tetraoxide = N_2O_4

sulfur hexafluoride = SF_6

dihydrogen monoxide = H_2O

dihydrogen dioxide = H_2O_2

carbon tetrahydride = CH_4

Part VI: Problems - More Naming Practice!

Ionic or Covalent?

vanadium (V) phosphate _____

sodium permanganate _____

MnF_2 _____

$Ni(SO_3)_2$ _____

phosphorus triiodide _____

H_3PO_4 _____

HI _____

Pb_3N_4 _____

$Sn(OH)_2$ _____

$SiCl_4$ _____

$HClO_2$ _____

Sodium sulfate _____

Hydrosulfuric acid _____

Nitrogen trifluoride _____

Calcium phosphide _____

B_2Si _____

PCl_5 _____

Perbromic acid _____

Manganese (IV) carbonate _____

C_2H_4 _____

Carbon disulfide _____

Iron (III) nitrate _____

Copper (II) phosphite _____

Sulfur hexachloride _____

Write the Name or the Chemical Formula

Antimony tribromide _____

Aluminum sulfide _____

Lithium oxide _____

P_4S_5 _____

Tin (II) hydroxide _____

chlorine dioxide _____

B_2Si _____

NF_3 _____

Iron (III) phosphide _____

Cobalt (III) carbonate _____

Hydrogen iodide _____

SeF_6 _____

$Zn_3(PO_4)_2$ _____

$Be(NO_3)_2$ _____

Dinitrogen trioxide _____

$Na_2(SO_3)_3$ _____

Sodium hydroxide _____

Iodine pentafluoride _____

$Cu(CH_3COO)_2$ _____

Hexaboron silicide _____

Si_2Br_6 _____

$Cu(HCO_3)_2$ _____

Phosphorus triiodide _____

CH_4 _____

Writing Chemical Formulas Practice I

Fill in the symbols and charges of the ions and then write the correct chemical formulas and the chemical names in the corresponding blocks. The first one is done for you.

IONS	Sodium Na^+	Calcium	Aluminum	Ammonium	Hydrogen
Chloride Cl^-	$NaCl$ Sodium chloride				
Acetate					
Oxide					
Sulfite					
Phosphate					
Iodide					

Part VII: Mole Conversions Notes & Practice Worksheet

There are three mole equalities. They are:

$$1 \text{ mol} = 6.02 \times 10^{23} \text{ particles}$$

$$1 \text{ mol} = \text{molar mass in grams (periodic table)}$$

$$1 \text{ mol} = 22.4 \text{ L for a gas at STP}$$

Each equality can be written as a set of two conversion factors. They are:

$$\left(\frac{1 \text{ mole}}{6.02 \times 10^{23} \text{ particles}} \right) \text{ or } \left(\frac{6.02 \times 10^{23} \text{ particles}}{1 \text{ mole}} \right)$$

$$\left(\frac{1 \text{ mole}}{\text{molar mass in grams}} \right) \text{ or } \left(\frac{\text{molar mass in grams}}{1 \text{ mole}} \right)$$

$$\left(\frac{22.4 \text{ L}}{1 \text{ mole}} \right) \text{ or } \left(\frac{1 \text{ mole}}{22.4 \text{ L}} \right) \text{ at Standard Temperature and Pressure (0}^\circ\text{C and 1 atm)}$$

Example Problems:

1. How many moles of magnesium is 3.01×10^{22} atoms of magnesium?

$$3.01 \times 10^{22} \text{ atoms} \left(\frac{1 \text{ mole}}{6.02 \times 10^{23} \text{ atoms}} \right) = 5 \times 10^{-2} \text{ moles}$$

2. How many molecules are there in 4.00 moles of glucose, $\text{C}_6\text{H}_{12}\text{O}_6$?

$$4.0 \text{ moles} \left(\frac{6.02 \times 10^{23} \text{ molecules}}{1 \text{ mole}} \right) = 2.41 \times 10^{24} \text{ molecules}$$

3. How many moles in 28 grams of CO_2 ?

$$\begin{aligned} \text{Molar mass of } \text{CO}_2 \quad 1 \text{ C} &= 1 \times 12.01 \text{ g} = 12.01 \text{ g} \\ 2 \text{ O} &= 2 \times 16.00 \text{ g} = \underline{32.00 \text{ g}} \\ &44.00 \text{ g/mol} \end{aligned}$$

$$28 \text{ g } \text{CO}_2 \left(\frac{1 \text{ mole}}{44.00 \text{ g}} \right) = 0.64 \text{ moles } \text{CO}_2$$

4. What is the mass of 5 moles of Fe_2O_3 ?

$$\begin{aligned} \text{Molar mass } \text{Fe}_2\text{O}_3 \quad 2 \text{ Fe} &= 2 \times 55.6 \text{ g} = 111.2 \text{ g} \\ 3 \text{ O} &= 3 \times 16.0 \text{ g} = \underline{48.0 \text{ g}} \\ &159.2 \text{ g/mol} \end{aligned}$$

$$5 \text{ moles } \text{Fe}_2\text{O}_3 \left(\frac{159.2 \text{ g}}{1 \text{ mole}} \right) = 800 \text{ grams } \text{Fe}_2\text{O}_3$$

5. Determine the volume, in liters, occupied by 0.030 moles of a gas at STP.

$$0.030 \text{ mol} \left(\frac{22.4 \text{ L}}{1 \text{ mole}} \right) = 0.67 \text{ L}$$

6. How many moles of argon atoms are present in 11.2 L of argon gas at STP?

$$11.2 \text{ L} \left(\frac{1 \text{ mole}}{22.4 \text{ L}} \right) = 0.500 \text{ moles}$$

Mixed Mole Conversion Examples: **Given unit → Moles → Desired unit**

7. How many oxygen molecules are in 3.36 L of oxygen gas at STP?

$$3.36 \text{ L} \left(\frac{1 \text{ mole}}{22.4 \text{ L}} \right) \left(\frac{6.02 \times 10^{23} \text{ molecules}}{1 \text{ mole}} \right) = 9.03 \times 10^{22} \text{ molecules}$$

8. Find the mass in grams of 2.00×10^{23} molecules of F_2

Molar mass $2 \text{ F} = 2 \times 19 \text{ g} = 38 \text{ g/mol}$

$$2.00 \times 10^{23} \text{ molecules} \left(\frac{1 \text{ mole}}{6.02 \times 10^{23} \text{ particles}} \right) \left(\frac{38 \text{ g}}{1 \text{ mole}} \right) = 12.6 \text{ g}$$

Problems I: Mole Conversions Practice – Show Work

1. How many moles are 1.20×10^{25} atoms of phosphorous?

2. How many atoms are in 0.750 moles of zinc?

3. How many molecules are in 0.400 moles of N_2O_5 ?

4. Find the number of moles of argon in 452 g of argon.

5. Find the grams in 1.26×10^{-4} mol of $\text{HC}_2\text{H}_3\text{O}_2$.

6. Find the mass in 2.6 mol of lithium bromide.

7. What is the volume of 0.05 mol of neon gas at STP?

8. What is the volume of 1.2 moles of water vapor at STP?
9. Determine the volume in liters occupied by 14 g of nitrogen gas at STP.
10. Find the mass, in grams, of 1.00×10^{23} molecules of N_2 .
11. How many particles are there in 1.43 g of a molecular compound with a gram molecular mass of 233 g?
12. Aspartame is an artificial sweetener that is 160 times sweeter than sucrose (table sugar) when dissolved in water. It is marketed by G.D. Searle as *Nutra Sweet*. The molecular formula of aspartame is $C_{14}H_{18}N_2O_5$.
- Calculate the gram molar mass of aspartame.
 - How many moles of molecules are in 10 g of aspartame?
 - What is the mass in grams of 1.56 moles of aspartame?
 - How many molecules are in 5 **mg** of aspartame?
 - How many atoms of nitrogen are in 1.2 grams of aspartame?

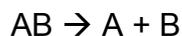
Chemical Reactions Review Sheet

Types of Chemical Reactions:

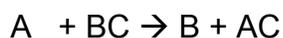
Combination or Synthesis



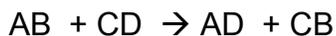
Decomposition



Single Replacement

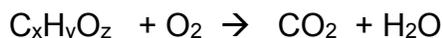


Double Replacement



- Can be
- acid-base if the reactants are acid & base and products are salt & water.
 - can be precipitation if a solid product forms

Hydrocarbon Combustion

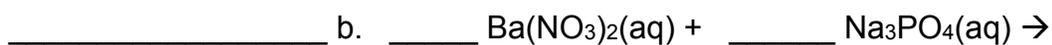


Oxidation-Reduction - Involve a transfer of electrons. Occurs during combustion, single replacement and can occur during synthesis and decomposition.

Problems:

1. A reaction occurs when aqueous lead (II) nitrate is mixed with an aqueous solution of potassium hydroxide. Write an overall, balanced equation for the reaction, including state designations.

2. For the following three reactions, label the type, predict the products (make sure formulas are correct), and balance the equation.



3. In the following equations, label the oxidized element and the reduced element.

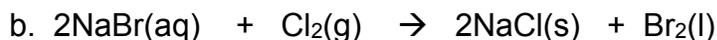
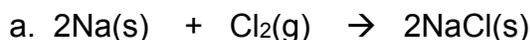


Table 11.2

Activity Series of Metals

	Name	Symbol
Decreasing reactivity 	Lithium	Li
	Potassium	K
	Calcium	Ca
	Sodium	Na
	Magnesium	Mg
	Aluminum	Al
	Zinc	Zn
	Iron	Fe
	Lead	Pb
	(Hydrogen)	(H)*
	Copper	Cu
	Mercury	Hg
Silver	Ag	

*Metals from Li to Na will replace H from acids and water; from Mg to Pb they will replace H from acids only.

Table 11.3

Solubility Rules for Ionic Compounds

Compounds	Solubility	Exceptions
Salts of alkali metals and ammonia	Soluble	Some lithium compounds
Nitrate salts and chlorate salts	Soluble	Few exceptions
Sulfate salts	Soluble	Compounds of Pb, Ag, Hg, Ba, Sr, and Ca
Chloride salts	Soluble	Compounds of Ag and some compounds of Hg and Pb
Carbonates, phosphates, chromates, sulfides, and hydroxides	Most are insoluble	Compounds of the alkali metals and of ammonia

Steps to Find Empirical & Molecular Formulas

Remember this:

**“Percent to mass, Mass to mole,
Divide by small, Make it whole”**

1. Determine the mass in grams of each element present in the sample. **“Percent to mass”**
If the information in the problem is in terms of percent composition of each element →
 - a) assume you have 100 g of the sample to start with
 - b) The grams of each element (out of the 100 g sample) will just be the numerical value of its percent composition.

EXAMPLE: You have a sample that is 40.0% carbon, 6.73% hydrogen and the rest oxygen. Find the empirical and molecular formulas.

Step 1: $40.0\% + 6.73\% = 46.73\%$. The percentage of oxygen is $100\% - 46.73\% = 53.27\%$

If I have 100 g of sample to start with, I have:

40.0 grams Carbon, 6.73 grams Hydrogen and 53.27 grams Oxygen

2. Calculate the number of *moles* of each element. **“Mass to mole”**

Step 2: Moles of Carbon = $40.0\text{g C} \times 1 \text{ mol C}/12.01\text{g C} = 3.331 \text{ mol C}$

Moles Hydrogen = $6.73\text{g H} \times 1 \text{ mol H}/1.01\text{g} = 6.663 \text{ mol H}$

Mole Oxygen = $53.27 \text{ g O} \times 1 \text{ mol O}/16.0 = 3.33 \text{ mol O}$

DO NOT ROUND THESE NUMBERS → KEEP SEVERAL DECIMAL PLACES

3. Divide each by the smallest number of moles to obtain the *simplest whole number ratio*.

“Divide by small”

Step 3: The molar ratio of the elements in my compound is $\text{C}_{3.331}\text{H}_{6.663}\text{O}_{3.33}$. I want a whole number ratio, so I will divide all the subscripts by the smallest number of moles (3.331) to get:

$\text{C}_1\text{H}_2\text{O}_1 \rightarrow$ so my empirical formula is CH_2O

If your number after dividing are values like 2.07, 1.1 etc. then round to the nearest whole number. If they are values like 3.5, 2.333 etc., then go to step 4.

4. If whole numbers are not obtained* in step 3), multiply through by the smallest integer that will give all whole numbers

“Make it whole”

Let's say that my empirical formula turned out to be $C_{2.333}H_4O_2$. 2.333 is not close enough to 2 to round down to 2. But I can multiply my formula through by 3 to get this:



5. **Finding molecular formula:** If the molar mass of your empirical formula matches the molar mass of the final compound (as stated in the problem) → Hooray! You are done: your empirical formula IS your molecular formula.

Step 5: For my example in step 1, it says that the molecular weight (molar mass) of my compound is 180.18 g/mol

My empirical formula is CH_2O from step 3 has a molar mass of $(12.01 + 2 \times 1.01 + 16)$ g/mol = 30.03 g/mol. ***So my empirical formula is not my molecular formula.***

Now, divide molar mass of compound/molar mass of empirical formula:

$$180.18 \text{ g/mol} \div 30.03 \text{ g/mol} = 6$$

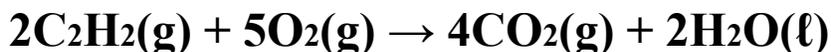
The molar mass of my compound is 6 times the molar mass of my empirical formula.

Multiply the empirical formula subscripts by 6 to get the final molecular formula:



Steps to Solving Limiting Reagent Problems

Suppose 13.7 g of C₂H₂ reacts with 18.5 g O₂ according to the reaction below. What is the mass of CO₂ produced? What is the limiting reagent?



- Find the mass of product yielded by the given amount of the first reactant. You can use either product (CO₂ or H₂O), but since the question asks about CO₂, it will be easier to use this product:

$$\frac{13.7 \text{ g C}_2\text{H}_2}{26.04 \text{ g C}_2\text{H}_2} \times \frac{1 \text{ mole C}_2\text{H}_2}{2 \text{ mole C}_2\text{H}_2} \times \frac{4 \text{ mole CO}_2}{1 \text{ mole C}_2\text{H}_2} \times \frac{44.02 \text{ g CO}_2}{1 \text{ mole CO}_2} = 46.3 \text{ g CO}_2$$

- Find the mass of *the same product* (in this case CO₂) yielded by the given amount of the second reactant.

$$\frac{18.5 \text{ g O}_2}{32.00 \text{ g O}_2} \times \frac{1 \text{ mole O}_2}{5 \text{ mole O}_2} \times \frac{4 \text{ mole CO}_2}{1 \text{ mole O}_2} \times \frac{44.02 \text{ g CO}_2}{1 \text{ mole CO}_2} = 20.4 \text{ g CO}_2$$

- Since the 18.5 grams of O₂ produces *less CO₂*, it is the **limiting reagent** in this problem. This amount of O₂ gets used up first and “limits” how much CO₂ can be produced. The amount of CO₂ that can be produced is 20.4 grams (which you already calculated!)
- You can repeat steps 1 and 2 for any number of reactants that you have a given mass for. The limiting reagent will ALWAYS be the **reactant that produces the least amount of product** (because it gets used up first).
- Finding the amount of excess reagent:** The excess reagent is the one that is NOT the limiting reagent. There will be some of this reagent leftover after the limiting reagent is completely used up.

Figure out how much of the excess reagent must react completely with the given amount of the limiting reagent. Then subtract this amount from the given amount of the excess reagent.

$$\frac{18.5 \text{ g O}_2}{32.00 \text{ g O}_2} \times \frac{1 \text{ mole O}_2}{5 \text{ mole O}_2} \times \frac{2 \text{ mole C}_2\text{H}_2}{1 \text{ mole O}_2} \times \frac{26.02 \text{ g C}_2\text{H}_2}{1 \text{ mole C}_2\text{H}_2} = 6.02 \text{ g C}_2\text{H}_2 \text{ used}$$

$$13.7 \text{ g of C}_2\text{H}_2 \text{ total} - 6.02 \text{ g of C}_2\text{H}_2 \text{ used} = 7.68 \text{ g C}_2\text{H}_2 \text{ excess (leftover)}$$

Part VIII: Stoichiometry-Based Problems

1. a) Nicotine is a stimulant and an addictive chemical found in tobacco. An analysis of nicotine produces the following percent composition: 74.03% carbon, 17.27% nitrogen, and 8.70% hydrogen. What is the empirical formula of nicotine?

b) Further tests show that the molar mass of nicotine is 162.23 g/mol. Given this information, what is the molecular formula of nicotine?

2. An ionic sample with a mass of 0.5000 g is determined to contain the elements indium and chlorine. If the sample has 0.2404 g of chlorine, what is the empirical formula of this ionic compound?

3. A 16.4 g sample of hydrated calcium sulfate is heated until all the water is driven off. The calcium sulfate that remains has a mass of 13.0 g. Find the formula and the chemical name of the hydrate.

4. $\text{___ C}_3\text{H}_8 + \text{___ O}_2 \rightarrow$
 - a. What type of reaction is written above? _____
 - b. Predict the products of the reaction and balance it.
 - c. If I start with 5.00 grams of C_3H_8 and 5.00 grams of O_2 , what is the limiting reagent? What is my theoretical yield of the carbon containing product?

d. I get a percent yield of 75%. How many grams of the carbon containing product did I make?

5. Magnesium undergoes a single replacement reaction with hydrochloric acid.

a) **Write the Balanced Equation:**

b) Which element is oxidized? _____ Which element is reduced? _____

c) How many grams of hydrogen gas can be produced from the reaction of 3.00 g of magnesium with 4.00 g of hydrochloric acid?

d) Identify the limiting and excess reactants. How many grams of the excess reagent are leftover?

e) If the hydrogen gas is produced at 48°C and 2.5 atm of pressure, what is the volume produced in liters?

6. Sulfur reacts with oxygen to produce sulfur trioxide gas.

a) **Write the Balanced Equation:**

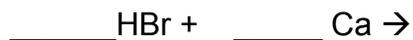
b) If 6.3 g of sulfur reacts with 10.0 g of oxygen, what is the theoretical yield of sulfur trioxide gas in grams?

c) What is the limiting reagent? How many grams of the excess reagent is leftover?

d) The sulfur trioxide gas produced had a volume of 5.4 L and was produced at 98°C. What is the pressure of the gas in kPa?

Part IX: Gas Laws, Molarity, pH and Putting it all Together

1. The following questions pertain to the reaction below:



- a. What type of reaction is shown above? _____
- b. Predict products and then balance the reaction.
- c. Name the ionic product of the reaction. _____
- d. Which element is oxidized? _____ Which element is reduced? _____
- e. 1.7 grams of Ca are mixed with 850.6 mL of 0.043 M HBr. What is the maximum theoretical yield of the gaseous product in grams?
- f. How many grams of the excess reagent are leftover?
- g. What is the pH of the HBr solution?
- h. What is the OH^- concentration of the HBr solution?
- i. If the gas is produced at 89°C and 1.7 atm of pressure, what is the volume of gaseous product in mL?
- j. The pressure of the gas is changed to 250 mmHg and the volume is changed to 1.54 L. What is the temperature of the gas now?